

5) RELATIONS & FUNCTIONS: CONTINUOUS/DISCRETE & VERTICAL LINE TEST

Warm-Up: Students at Reynolds are selling t-shirts during lunch for \$10 each.

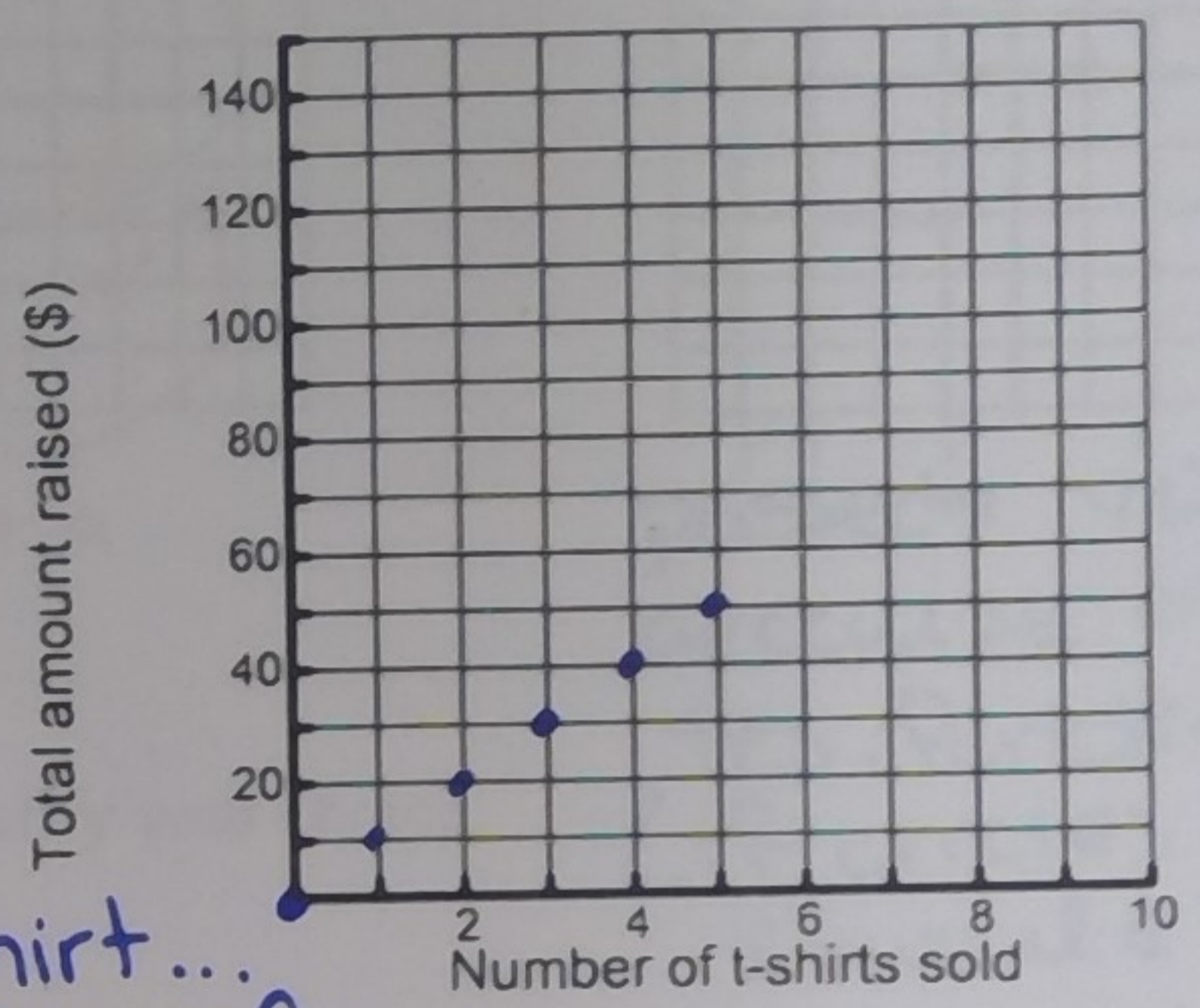
a) Complete the following table of values:

$$y = x \cdot 10 = 10x$$

Number of t-shirts sold	Total amount of money made, in dollars
0	0
1	10
2	20
3	30
4	40
5	50

b) Graph the relation:

- $(0, 0), (1, 10), (2, 20),$
 $(3, 30), (4, 40), (5, 50)$



c) Can the dots be connected? Explain.

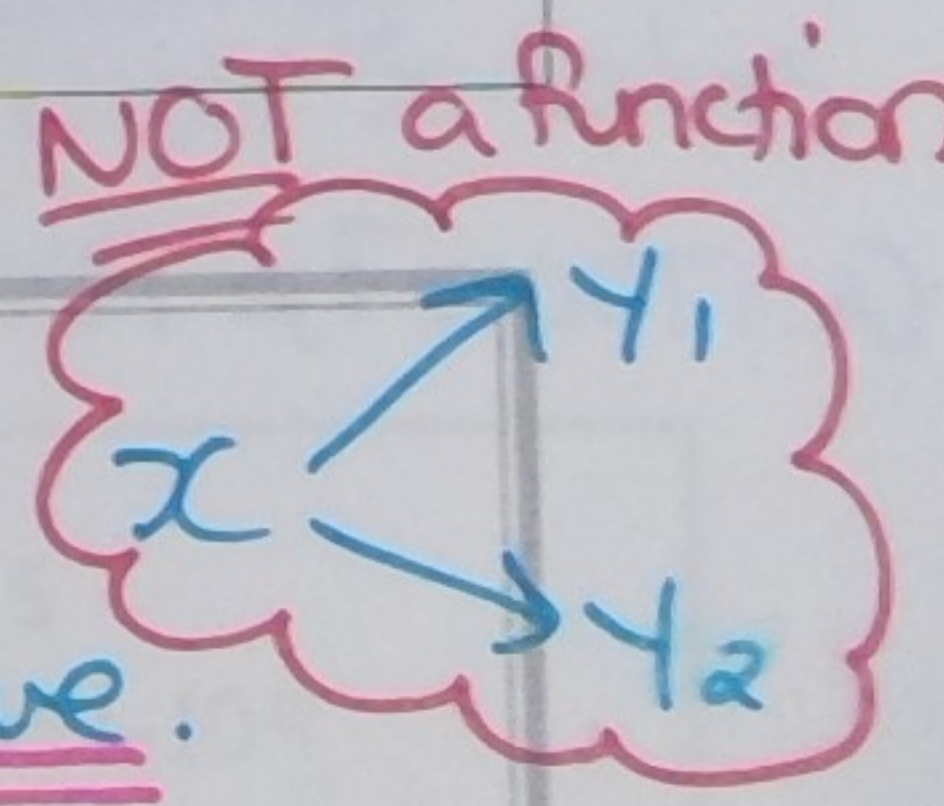
NO! Cannot sell part of a T-shirt...
whole numbers only.

d) Fill in the table below, and add in your own example in.

Type of Data	Continuous connect points	Discrete (dots are NOT connected)
Characteristics	<ul style="list-style-type: none"> Graph will appear as <u>Line</u> Occurs when quantities don't "skip" values. (or exclude) Occurs when having <u>parts/fractions</u> of quantities <u>makes sense</u>. (is allowed) 	<ul style="list-style-type: none"> Graph will appear as <u>series of points (scatterplot)</u> Occurs when quantities can only be <u>specific or whole items</u>. Occurs when part numbers <u>do not make sense</u>
Example	<ul style="list-style-type: none"> Time Temperature Distance Age Height 	<ul style="list-style-type: none"> T-shirts # students pieces of cake

Introduction to Functions

A function is special type of relation.
 • for every x-value, there is only 1 y-value.
 (if there are repeated x-values, it is not a function)



When a relation is presented as a graph, a quick method to determine whether or not it is a function is known as the **VERTICAL LINE TEST**.

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 If a vertical line intersects the graph at more than one point, the relation **IS NOT** a function.

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NOTE:
↑ vertical.

Example #1: Do these graphs represent functions? draw vertical lines.

a) **Yes, a function**

No matter where you draw the vertical line, it crosses only once.

b) **No, NOT a function**

Intersecting twice... not a function. (Fails VLT)

c) **Yes, function.**

passed VLT only because of open O. (if circles were closed, it would fail VLT.)

NOTE: open circle, point **NOT** included

Example #2: Do these relations represent functions? Justify your choice.

a) $\{(1, 3), (2, 4), (3, 5), (4, 3), (2, 1)\}$

$x=2$ $y=4$ and $1 \therefore 2$ y -values for 1 x -value. **NOT** a function.

b)

Name	Shoe Size
Andrew	10
Nathan	11
Joel	12
Aaron	13
Simon	12

no repeats (bracketed around the table)

Yes, FUNCTION.

c)

Name	Sibling
Anika	Jared
Anika	Joel
Anika	Nathan
Caroline	Aaron
Caroline	Simon

repeats. \therefore NOT a function

d) $y = 3x + 5$ ($y = mx + b$)
 \therefore **FUNCTION** ↑
 line.

e) $y^2 = x$
 $(-2)^2 = 4$

x	y
-2	4
-2	-4
0	0
2	4

repeating/multiple x -values \therefore NOT a FUNCTION